

## FREQUENCY DIVIDER WITH FUNNEL STRUCTURE

### BACKGROUND OF THE INVENTION

#### 1. Field of the Invention

5 The object of the invention relates to a frequency divider.  
It relates especially to a multi-octave frequency divider with a structure known as a funnel structure and a synchronous output.

It can be applied in the field of frequency synthesis and more particularly in the field of phase-locked loop frequency synthesis.

10 It can also constitute a basic cell of a programmable digital component of the FPGA (Field Programmable Gate Array) and DSP (Digital Signal Processing) type.

It can also be used for pulse generators with very low jitter.

#### 2. Description of the Prior Art

15 Figure 1 shows an exemplary prior art divider.

It is formed by a prescaler 1 that divides the input frequency  $F_e$  by  $N_a$  or by  $N_a+1$ , a first counter A, referenced 2, whose output TC controls the division of the prescaler by  $N_a$  or by  $N_a+1$ , a second counter B, referenced 3, whose output TC is the output of the divider.

20 The assembly works as follows: when the counter B reaches the end of the counting stage (which corresponds to the end of a frame), it delivers the signal TC which respectively reloads the two counters with the values A and B, in complying with  $B \geq A$ . A new frame then starts. So long as the counter A has not finished counting, the prescaler 1 divides the input  
25 frequency  $F_e$  by  $N_a+1$ . This means that whenever A and B are counted down by one unit, the prescaler 1 counts  $(N_a+1)$  cycles of the input signal with a period  $T_e$ . The counter A therefore reaches the end of counting at the end of  $A \cdot (N_a+1)$  cycles with a duration  $T_e$ . At this point in time, the counter A stops and orders the prescaler to perform a division by  $N_a$ . To reach the  
30 end of counting, the counter B must again count  $B-A$ , which corresponds to  $N_a \cdot (B-A)$  cycles of the input signal. The device then returns to the initial state.

The total number of cycles of the input signal during a frame gives the division rank N of the divider:

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$$N = A(N_a+1) + N_a(B-A)$$

$$N=A+BNa$$

So that N may evolve continuously in steps of 1, A should be programmable between 0 and Na-1. Since B is greater than or equal to A, we have  $B_{min} = Na-1$ .

5 Hence  $M_{min} = Na*(Na-1)$ .

For a 4/5 prescaler, the minimum division rank needed to obtain continuity in steps of 1 is therefore equal to 12.

A structure of this kind has especially the following drawbacks:

10 The counters A and B are synchronous counters for which all the stages must work at a high frequency equal to  $F_e/Na$ ,

For a division rank N varying from a few units to several hundreds of units, these synchronous counters give rise to very high consumption (given a high operating frequency and a large number of stages),

It is not easy to implement the fractional modes,

15 The number of logic layers between the input and the output is generally greater, thus limiting the phase noise performance.

### SUMMARY OF THE INVENTION

The invention relates to a frequency divider enabling the division by N of a frequency  $F_e$  and comprising at least one prescaler followed by a division chain. The invention is characterized in that:

- the prescaler has at least one input for the frequency signal  $F_e$  to be divided, one input for a command NA of the basic division rank of the prescaler and one input for a command  $\Delta NA$  coming from the division chain and enabling NA to be made to vary by one unit,
- 25 • the division chain comprises at least one division stage (K) comprising at least one divider by 2, giving a divided frequency  $F(K)$ , a switch controlled by the divider by 2, the switch having one input for a piece of programming data  $R(K)$ , one input for the carry signal  $RX(K+1)$  of the next stage and one output for the carry signal  $RX(K)$  for the previous stage.

30 Should there be a single stage, the carry signal  $RX(K)$  is a command  $\Delta NA$ .

The command NA of the division rank varies from  $N_0$  to  $2*N_0-1$  where  $N_0$  is the minimum rank of the prescaler and a command  $\Delta NA$  is equal to  $NA+1$  in order to increment the division rank NA by one unit.  $N_0$  is

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for example of power of 2 and the command NA varies for example from  $2^P$  to  $2^{(P+1)}-1$ .

The device according to invention has especially the following advantages:

- 5     • the speed performance depend solely on the front-end stage: in other words the division rank N can be extended (to infinity) without diminishing,
- the operating frequency of the divider assembly,
- the structure of the divider according to the invention makes it possible to obtain the function equivalent to the division by a synchronous counter, and this is the case whatever the counting length,
- 10     • the device can be easily implemented in a discrete digital component or else an FPGA or ASIC type integrated logic,
- 15     • it improves the performance of fractional-step PLL synthesizers,
- the cyclical ratio of the output signal is 50% when the division rank N is an even-parity value and is the value closest to 50% when the division rank is an odd-parity value.

#### BRIEF DESCRIPTION OF THE DRAWINGS

20     Other features and advantages of the invention shall appear more clearly from the following description of a detailed example that in no way restricts the scope of the invention, and from the appended figures of which

- Figure 1 exemplifies an architecture of a prior art frequency divider,
- Figure 2 exemplifies a basic architecture of a frequency divider according to the invention,
- 25     • Figure 3 exemplifies an implementation of the divider according to the invention,
- Figure 4 is a table showing the propagation of the carry values and the duration of the high and low states for the example of Figure 3,
- 30     • Figures 5A and 5B show an exemplary embodiment comprising a synchronous output and the associated timing diagram,
- Figure 6 exemplifies an embodiment of the synchronous output by means of a JK flip-flop circuit,
- Figure 7 exemplifies an embodiment of the synchronous output with a choice of polarity,
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- Figure 8 shows another alternative embodiment,
- Figure 9 exemplifies an architecture for changing the division rank,
- Figure 10 is a block diagram of a multi-octave divider according to the invention,
- 5     • Figure 11 is a block diagram of an exemplary K-rank stage of the divider according to the invention,
- Figure 12 is a drawing of an eight-state asynchronous state machine,
- Figure 13 is a drawing of the asynchronous state machine for the stage K of the frequency divider according to the invention.

#### 10     MORE DETAILED DESCRIPTION

In the present invention, the term "prescaler" designates a divider placed at the front end of a division chain, generally having a simple structure and working at high speed.

Any other device having functional characteristics that are  
15 identical or substantially identical with this prescaler may be used.

Figure 2 exemplifies an embodiment of a frequency divider according to the invention.

It comprises for example a prescaler 10 whose division rank NA varies on one octave or substantially on one octave. The prescaler has one  
20 input which receives the signal to be divided Fe, one input for a command NA of the basic division rank of the prescaler, one input for a command NA/(NA+1) (making it possible to obtain a one-unit variation in the division rank of the prescaler, for example enabling it to be incremented by one unit) coming from a module 11 comprising one or more identical or substantially  
25 identical division stages.

The prescaler has, for example, a division rank NA varying from N0 to  $2 \cdot N0 - 1$  where N0 is the minimum rank of the prescaler.

In the example given here below by way of an illustration that in no way restricts the scope of the invention, NA may assume the values  $2^P$  to  
30  $2^{(P+1)} - 1$  depending on the value of the control word of the division rank NA, referenced 12 and represented by the bits R(1), R(2)...R(P). Furthermore, a command NA/NA+1, referenced 13, which comes from the next division stage, enables division by NA or NA+1 depending on the value 0 or 1 of the command. (The value of P is chosen for example so that the prescaler has  
35 an optimum critical path).

For  $P=0$ , the prescaler is a divider by 1 that receives only the command  $NA/NA+1$  which enables division by 1 or by 2.

For  $P = 1$ , the prescaler divides by  $NA = 2$  or 3 depending on the value of  $R(1)$ . The command  $NA/NA + 1$  makes it possible to obtain  
 5 variations of 2 to 3 or 3 to 4 depending on the value of  $R(1)$ .

For  $P=2$ , the prescaler divides by  $NA=4, 5, 6, 7$  and the command  $NA/NA+1$  makes it possible to obtain variations of  $4/5, 5/6, 6/7$  and  $7/8$ . And so on and so forth for the other values of  $P$ .

In this example, the prescaler 10 is followed by  $K_{max}-P$  stages  
 10 which have an identical or substantially identical function and are series-connected to form the divider. The divider thus formed in this exemplary embodiment enables the division by a rank ranging from  $2^{K_{max}}$  to  $2^{(K_{max}+1)}-1$  with a command  $RX(K_{max}+1)$  that enables the division rank to be augmented by one unit.

15 A division stage  $K$  comprises for example a divider by 2, referenced  $14_K$  whose input is  $F(K-1)$  (frequency coming from the previous stage  $K-1$ ) and whose output is  $F(K)$ , a frequency that corresponds to the input of the following stage ( $K+1$ ). The stage  $K$  also has a two-input switch  $15_K$  which is controlled by the output of the divider by 2,  $14_K$ . A first input of  
 20 the switch is the carry signal  $RX(K+1)$  which comes from the following stage (named  $(K+1)$ ), and a second input of the switch is the programming data  $R(K)$ , line  $16_K$ . The output of the switch  $15_K$  is the carry signal  $RX(K)$  which is one of the two inputs of the switch  $15_{K-1}$  of the stage  $K-1$ .

For the stage  $K=P+1$ , the output of the switch  $15_{P+1}$  is the  
 25 command  $NA/NA+1$  of the prescaler. The addition of the stage  $P+1$  after the prescaler 10 gives a divider that divides by a programmable rank  $NA'$  with a value ranging from  $2^{(P+1)}$  to  $2^{(P+2)}-1$ . This divider has an input  $RX(P+2)$  which gives the command  $NA'/NA'+1$ . The addition of  $K_{max}-P$  stages behind the prescaler gives a divider that divides by a programmable rank with a  
 30 value ranging from  $2^{(K_{max})}$  to  $2^{(K_{max}+1)}-1$ . This division rank may be incremented by 1 by the command  $RX(K_{max}+1)$ .

Figure 3 gives a schematic view of an exemplary divider according to the invention, comprising a  $\frac{1}{2}$  prescaler followed by three divide-by-2  
 35 dividers by 2 ( $14_1, 14_2, 14_3$ ) change their state on the leading edge of the

input signal ( $F_0, F_1, F_2$ ), the commands  $C_1, C_2, C_3$  from the switches 15<sub>1</sub>, 15<sub>2</sub>, 15<sub>3</sub>, select the carry values  $RX_2, RX_3, RX_4$  coming from the following state on the low states of the outputs  $F_1, F_2, F_3$  of the divide-by-2 stages.

- Other conventions can be used without changing the properties of
- 5 the divider provided that the following rule is followed: the stage  $K$  reads the carry value coming from the stage  $K+1$  on the state of the signal  $F(K)$  which is located just before the edge of  $F(K)$  which activates the changes in state for the stage  $K+1$ .

- Since the divider is constituted by the 1/2 prescaler followed by
- 10 the division stages  $K_1, K_2, K_3$ , the duration of a counting frame of the divider is defined, for example, as the period of time constituted by a high state and a low state of the output signal of the last stage (the stage  $K_3$ , in this example, and the signal  $F_3$ ).

- This counting frame comprises two counting cycles of the stage
- 15  $K_2$ . Each cycle is constituted by a high state and a low state whose durations may be different from one cycle to another, according to the propagation of the carry values  $RX$ . The counting frame therefore contains four counting cycles of the stage  $K_1$  and eight counting cycles of the prescaler 10.

- The counting frame generally contains  $2^{(K_{max}-P)}$  counting cycles of
- 20 the prescaler when  $K_{max}-P$  divide-by-2 stages are cascaded behind the prescaler. Each of these cycles has a duration equal to  $NA$  or  $NA+1$  times the period of the input signal  $F_e$ .

- The duration of these eight counting cycles is obtained by the propagation of the carry values during the counting frame (this propagation is
- 25 done downstream to upstream). This propagation is represented in table 1 (figure 4) by the lines  $RX_3, RX_2$  and  $RX_1$ . The signal  $RX_1$  having been obtained, the durations of the different states of the signals  $F_0, F_1, F_2$  and  $F_3$  are deduced (the deduction is done from upstream to downstream).

- Finally, the duration of the counting frame is obtained. This
- 30 duration is equal to:  $(8+4R_1+2R_2+R_3+RX_4)*T_e$ , where  $T_e$  is the period of the input signal of the divider.

For a prescaler 1/2 followed by  $K_{max}$  divide-by-2 stages, the division rank obtained is:

$$N = 2^{K_{max}} + R(1) \cdot 2^{K_{max}-1} + R(2) \cdot 2^{K_{max}-2} + \dots + R(K_{max}) + RX(K_{max} + 1)$$

In taking  $RX(K_{max} + 1) = 0$  (which means that the stage K is the last stage and that it receives no carry value) this division rank is written in binary mode very simply since the MSB is a 1. Then the different bits are  $R(1)$ ,  $R(2)$  until  $R(K_{max})$  which constitutes the LSB.

Division rank N in binary mode = 1 R (1) R (2).....R (Kmax)

- 5 This is an advantage of the device. The decoding that enables the commands  $R(1)$ ,  $R(2)$  ...,  $R(K_{max})$  to be presented to the different devices is obtained very simply from the binary word presented as a command of the division rank N.

10 The table (figure 4) gives the propagation of the carry values and the duration of the high and low states for a  $1/2$  prescaler followed by three stages. The examination of the lines  $RX3$ ,  $RX2$  and  $RX1$  of this table shows that: in tracing back along the chain of the switches, the carry values (for example  $R3$ ) are gradually windowed down so that they are presented without the additional glitch that could appear in relation to the logic levels  
15 planned at the front-end stage (herein the prescaler). The chain of the switches acts as a "funnel" for the carry values which are gradually "resynchronized" up to the prescaler. This "funnel" stage is used to refine the structure of the divider described here below.

This table 1 (figure 4) also reveals that each division stage may  
20 tolerate a delay almost equal to the duration of the high state of the input signal of the stage (given the conventions chosen). This means that each stage of the divider can be sized solely for its own working frequency. Such a divider is therefore optimal in terms of consumption.

Figure 5A is a block diagram of an alternative embodiment of a  
25 divider comprising a synchronous output. As compared with the structure designated as a basic structure or funnel structure (referenced module 11 in figure 2) and described in figure 3, the device of the invention comprises the following additional elements:

- A first chain of  $K_{\max}-P$  switches  $20_K$  controlled by the outputs  $F(P+1)$  to  $F(K_{\max})$  of the different dividers of the funnel structure described in figure 2. The output signal of this first chain is a mid-counting signal  $MC(P+1)$ .
- 5 • A second chain of  $K_{\max}-P$  switches  $21_K$  controlled by the outputs  $F(P+1)$  to  $F(K_{\max})$  of the different dividers of the funnel structure. The output signal of this second signal is an end-of-counting signal  $TC(P+1)$ .
- A module 22 for the generation of a synchronous output. This output is prepared from the signals  $TC(P+1)$  and/or  $MC(P+1)$  and the clock signals  $F(P)$  and/or  $Fe$ . Indeed, several types of synchronous output are possible  
10 depending on the application envisaged.

The structure shown in figure 5A enables the division rank  $N$  to be changed statically (this means that there is a period of reconfiguration time during which the output signal cannot be exploited). This change is made by  
15 modifying the values  $R(K)$ : a rank  $N$  is then obtained. This rank  $N$  may vary between  $2^{K_{\max}}$  and  $2^{K_{\max}+1}$ . Furthermore, by statically managing the number of active stages of the funnel structure (for example by not feeding the unused stages) it is possible to make  $N$  vary by  $2^{P+1}$  to  $2^{K_{\max}+1}$ .

Figure 5B gives a schematic view of a timing diagram of the  
20 signals comprising  $TC(P+1)$ ,  $MC(P+1)$  for a division by 27 with  $NA=3$ ,  $P=1$  and  $K_{\max} = 3$ . In this example, the instant of the start of a frame is defined so as to identify the signals  $TC(P+1)$  and  $MC(P+1)$  relative to this start of a frame. The start of a frame designates the edge of the signal  $F(P)$  (input signal of the funnel structure) that activates the cascaded passage to 1 of all  
25 the dividers by 2 of the funnel structure, given the conventions chosen.

This definition is found in the timing diagrams of this figure 5B where the start of the frame is the leading edge of  $F(P)$  which activates the passage to 1 of  $F(P+1)$  and then of  $F(P+2)$  up to  $F(K_{\max})$ .

In this exemplary implementation, the chains of the switches  
30 delivering  $TC(P+1)$  and  $MC(P+1)$  are provided at their inputs with logic levels used to obtain only one pulse per frame for each chain. This pulse is windowed down by  $F(P+1)$ ; hence it is synchronous with  $F(P+1)$  and has a duration equal to one cycle of the prescaler. The pulse  $TC(P+1)$  selects:

- Either the edge of  $F(P)$  corresponding to the end of frame,



- Or the edge of  $F(P)$  shifted relative to the end of a frame provided that the shift has a constant duration whatever the value of the pieces of programming data  $R(1)$  to  $R(K_{\max})$ .

The pulse  $MC(P+1)$  selects the edge of  $F(P)$  neighboring the  
 5 middle of the frame.

Thus, in selecting the appropriate transitions of  $F(P)$ , the signals  $TC(P+1)$  and  $MC(P+1)$  make it possible to generate a signal that is the image of the output signal of the funnel  $F(P)$ .

Such a structure especially has the following advantages:

- 10 • The possibility of obtaining a synchronous divider, whatever the number of stages of the structure and hence whatever the division rank,
- The possibility of obtaining an output signal whose phase noise is very close to that of the input signal of the divider, whatever the number of stages of the structure and, hence, whatever the division rank. Indeed,  
 15 the number of logic layers between the input  $F_e$  and the synchronous output is minimized. This small number of layers can also be optimized in terms of noise. With a low-ranking prescaler, the resynchronization is done by  $F_e$  and the number of logic layers between the input and the synchronous output is equal to 1.

20 One way to obtain the signal  $TC(K)$  that represents the end of counting of the stage  $K$  is to:

- Adopt the same convention as that of the funnel structure for the selection of the carry values coming from the stage  $K+1$  on the low states of  $F(K)$ ,
- 25 • Position the input of the last switch selected by the low state of  $F(K_{\max})$  at 1,
- Position the input of the last switch selected by the high state of  $F(K_{\max})$  at 0,
- Position all the switch inputs selected by the high state of  $F(P+1)$ ,  
 30  $F(P+2)$ , ...,  $F(K_{\max}-1)$  at 0.

One way to obtain  $MC(K)$  is to:

- Adopt the same convention as that of the funnel structure for the selection of the carry values coming from the stage  $K+1$  on the low states of  $F(K)$ ,

- Position the input of the last switch selected by the high state of  $F(K_{\max})$  at 1,
- Position the input of the last switch selected by the low state of  $F(K_{\max})$  at 0,
- 5 • Position all the switch inputs selected by the high state of  $F(P+1)$ ,  $F(P+2)$ , ... $F(K_{\max})$  at 0.

Different types of synchronous output, some examples of which are given here below, can be envisaged.

10 The first type, shown schematically in figure 6, is a synchronous output which is identical to  $F(K_{\max})$ . In this case, the signals  $MC(P+1)$  and  $TC(P+1)$  are used. These signals may, for example, be combined on a JK flip-flop circuit referenced 23. The clock of the JK flip-flop circuit is generally  $F(P)$  and  $F_e$  for a low-ranking prescaler.

15 A second type of synchronous output is given in figure 7. It consists especially in generating a constant state throughout the duration of the frame and in choosing a control signal  $NEXT\_POL$  (next polarity control signal that enables the choosing of a polarity of 0 or 1 of the synchronous output for the next frame with a constant level on one frame). Two switches  $24_1$  and  $24_2$  each receive a signal  $TC(P+1)$  and  $NEXT\_POL$  and are  
20 positioned just before the JK flip-flop circuit referenced 23. In this type of synchronous output, it is only the signal  $TC(P+1)$  that is used. This alternative embodiment may also use any other type of flip-flop circuit.

25 A third type of synchronous output (not shown in the figures) consists especially in sending the output  $TC(P+1)$  to the J and K inputs so as to alternatively obtain a high state and a low state, each state having the duration given by  $N \cdot T_e$  where  $T_e$  is the input period of the clock and  $N$  is the overall division rank.

30 The synchronous output shown in figures 5A to 8 is a resynchronization on  $F(P)$  which is the output of the prescaler or on  $F_e$  which is the input of the prescaler. A resynchronization on the input  $F_e$  of the prescaler gives improved phase noise performance.

The basic signals for performing this resynchronization optimally are:

- $TC(P+1)$  resampled by  $F(P)$ ,
- 35 •  $MC(P+1)$  resampled by  $F(P)$ .

Other solutions of resynchronization on Fe can be achieved by imposing operational constraints on the prescaler such as, for example, the constraint of presenting a state of its output cycle with a constant duration. In the device of the invention, the signals TC(P+1), MC(P+1) and RX(P+1) are  
 5 obtained without additional pulses. This is due to the funnel structure which works with inverse propagation: upstream to downstream for the chain of dividers by 2 and downstream to upstream for the chains RX, TC and MC.

Figure 8 shows an alternative embodiment that can be used to obtain a frequency-divided signal Fe/N at the synchronous output, where N  
 10 may vary statically from  $2^P$  to  $2^{(K_{max}+1)}$ .

As compared with the structure described in figure 5A, the structure has two switches 25 and 26 which respectively receive the output of the prescaler F(P) and its complementary value  $\overline{F(P)}$ . The module 22 has a flip-flop circuit 23 which is, for example, a JK type flip-flop circuit. The JK  
 15 flip-flop circuit, with a synchronous output, is provided at J with the switch 25 that can be used to obtain  $J=F(P)$  or  $J=TC(P+1)$  and is provided at K with the switch 26 which can be used to obtain  $K=\overline{F(P)}$  or  $K=MC(P+1)$ . With this variant, the N division rank starts at the minimum rank of the prescaler.

#### **Dynamic changing of the division rank**

20 According to the invention, it is possible to choose a new division rank from frame to frame (i.e. with dynamic change).

Figure 9 is a schematic view of an exemplary structure used to carry out the change in division rank from frame to frame, i.e. while a frame is in progress, the division device is given a new division rank for the next  
 25 frame. This new frame will start as soon as the previous frame ends, to as to achieve perfect continuity.

It comprises a prescaler 10 dividing by NA varying from N0 to  $2*N0-1$ , for example from  $2^P$  to  $2^{(P+1)}-1$ , followed by Kmax-P stages corresponding to the funnel structure (described in detail in figure 2) as well a  
 30 the chains of switches delivering TC(P+1) and MC(P+1) according to the synchronous structure described in figure 5A. A first row 30 of registers is controlled by the intermediate outputs of the chain TC and a second row of registers 31 is controlled by the signal MC(P+1).

The new division rank can be taken to account for example as  
 35 follows:

- In the middle of the frame, the signal MC(P+1) takes account of the new division rank for the next frame in storing NEXT\_R(1), NEXT\_R(2), .....NEXT\_R(Kmax).
- When a trace-back is made along the chain of switches TC, the end-of-frame signal successively induces a transition of states of the signals TC(Kmax), TC(Kmax-1),...TC(P+1) that enable the transfer of all the NEXT\_R(K) values into the corresponding registers R(K). By the very principle of the chain TC, this transfer takes place when the previous R(K) is no longer used by the stage K of the funnel (basic structure shown schematically in figure 2).

For the divider according to figure 9, it is possible to dynamically switch over the division rank N to an octave of  $2^{K_{max}}$  to  $2^{(K_{max}+1)}$ .

Figure 10 is a block diagram of a multi-octave divider. Such a scheme can be used especially for the dynamic switching of the division rank over several octaves.

The divider comprises for example:

- A prescaler 40 whose function is to divide by NA varying from N0 to  $2 \cdot N0 - 1$ , for example from  $2^P$  to  $2^{(P+1)} - 1$  with a command NA/(NA+1),
- Kmax-P division stages with a identical or substantially identical structure which are cascaded behind the prescaler,
- A module 41 for the generation of the synchronous output, having a structure identical or substantially identical to the structure described with reference to figure 5A,
- A function 42 for the taking into account in mid-frame of the division rank for the next frame; this function receives the write signal MC(P+1),
- A function 43 preparing the signal for taking account of the new division rank NA of the prescaler,
- A decoding function 44 enabling the extraction, from the control word N, of the information NEXT\_R(K) (K varies from 1 to Kmax, NEXT\_R(K) gives the value of N for the next frame), NEXT\_ACT(K) (K varies from P+1 to Kmax, NEXT\_ACT(K) indicates whether the stage K is active or not active for the next frame) and NEXT\_NA (gives the value of NA of the prescaler for the next frame),
- If necessary, a function 45 for taking account of the polarity of the synchronous output signal for the next frame .

Such a structure advantageously enables the dynamic management of the counting length and hence makes it possible to obtain a division rank that is switchable from frame to frame, having the value  $2^{(P+1)}$  (maximum division rank of the prescaler) and  $2^{(K_{max}+1)}$  (maximum division rank when all the stages of the device are active).

Figure 11 is a schematic block diagram of a stage placed behind the prescaler. The description is given as an example for the stage indexed K.

The stage K comprises, for example:

- A divider by 2 referenced 50 which receives the signal  $F(K-1)$  from the previous stage and delivers the divided signal  $D(K)$ ,
- A switch 51 that receives  $D(K)$  at one of its inputs, the other one receiving 0, and that delivers the output signal of the stage K which is given at the next stage,
- A switch 52 controlled by  $D(K)$  so as to transmit alternately at its output named  $RX(K)$  :
  - The value of the piece of programming data  $R(K)$  for a state of the divider by 2,
  - The value of the carry value  $RX(K+1)$  coming from the next stage for the other state of the divider by 2. The carry value  $RX(K+1)$  has a duration greater than that of the states of the stage K divider. It is therefore windowed down by the stage K.
- A function 53 whose role is to prepare a signal called  $TC(K)$  which signifies the end of counting for the stage K. To prepare  $TC(K)$ , this function uses the signals  $TC(K+1)$  (corresponding to the end of counting of the previous stage),  $D(K)$  (output of the divider by 2) and the signal  $DER(K)$  which means, depending on its value 0 or 1, that the stage K is or is not the last stage.
- A function 54 whose role is to prepare a signal called  $MC(K)$  which means the middle of counting for the stage K. To prepare  $MC(K)$ , this function uses the signals  $MC(K+1)$  (middle of counting of the next stage),  $D(K)$  (output of the divider by 2) and the signal  $DER(K)$  which means, depending on its value 0 or 1, that the stage K is or is not the last stage.
- An asynchronous state machine 55 comprising one or more storage elements.

- A flip-flop circuit 56 for the storage of the local carry value  $R(K)$ . This flip-flop circuit receives  $NEXT\_R(K)$  as a data input. The writing of this flip-flop circuit is done by the signal  $ACT(K-1)$  coming from the previous stage. For the first stage  $P+1$  of the funnel structure, the signal  $ACT(P)$  is the signal  $TC(P+1)$ .

The asynchronous state machine 55 works with a piece of data which is the  $NEXT\_ACT(K)$  signal and with two clock signals which are  $F(K-1)$  and  $TC(K)$ . The clock signals set the rate of the succession of the states of the machine as a function of the piece of data  $NEXT\_ACT(K)$  and as a function of the state of one of more storage flip-flop circuits internal to the machine.

The state machine delivers the signals  $DER(K)$  and  $ACT(K)$ . The signal  $DER(K)$  is used to manage the quality of the last stage for the stage  $K$  and is used by the functions preparing the signals corresponding to the middle and end of counting of the stage  $K$ .

The signal  $ACT(K)$  is an activation signal for the next stage. The activation signal controls the switch located at output of the divider by 2. It is also transmitted to the next stage

### **Working of the stage K**

The description shall be limited here to the operation of the new functions as compared with the structure previously described in the paragraph on the synchronous output. These new functions are essentially:

- The function preparing the end-of-counting function,
- The function preparing the mid-counting function,
- The asynchronous state machine.

When the stage  $K$  is not the last stage, the mid-counting and end-of-counting functions work as in the diagram describing the working of the funnel structure with synchronous output : i.e.  $TC(K+1)$  and  $MC(K+1)$  are windowed down by the signal  $D(K)$  to give  $TC(K)$  and  $MC(K)$  respectively.

When the stage  $K$  is the last stage, it is the signal  $DER(K)$  that is windowed down by  $D(K)$  and transmitted on  $MC(K)$  during the first part of the frame and  $TC(K)$  during the second part of the frame.

The asynchronous state machine comprises at least one storage  
 5 flip-flop circuit  $ACT(K)$  that memorizes the active or non-active state of the next stage. The detail of the operating cycle of the state machine described here below is a preferred embodiment given by way of an example.

It is clear that modifications of this operating cycle are possible without changing the spirit of the invention.

#### 10 Preferred mode of operation

At the beginning of the frame, all the flip-flop circuits  $ACT(K)$  and all the dividers are at zero and the stage  $(P+1)$  is considered to be the last stage.

The first edge of  $F(K-1)$  (relative to the start of the frame as  
 15 defined in the previous paragraph) writes the value  $NEXT\_ACT(K)$  in the storage flip-flop circuit  $ACT(K)$ . If and only if the following stage is active, the output  $ACT(K)$  of this storage flip-flop circuit prompts the following two events:

1. The output switch transmits the signal  $D(K)$  to the output  $F(K)$  which is the  
 20 input of the divider by 2 of the following stage which will therefore, firstly, start counting and, secondly, write the flip-flop circuit  $ACT(K+1)$  managing the activity of the stage  $K+2$ ;
2. The signal  $ACT(K)$  writes the storage flip-flop circuit of the carry value  $R(K+1)$ .

25 The edge of  $TC(K)$  signifying the beginning of the end of counting for the stage  $K$  resets the flip-flop circuit  $ACT(K)$ .

Thus, when the signal TC makes a trace back along the chain of the stages starting from the last active stage towards the first active stage (which is always  $P+1$ ), it resets all the flip-flop circuits  $ACT(K)$  and therefore opens the switches located between the dividers so as to leave all the dividers in the zero state. At the end of the frame, all the flip-flop circuits  $ACT(K)$  and all the dividers have therefore returned to the initial stage and the stage  $(P+1)$  is considered to be the last stage.

Advantageously, a dynamic management of the number of active stages is thus obtained: from frame to frame, it is possible to choose any value  $N$  between  $2^{P+1}$  and  $2^{K_{max}+1}$ .

This alternative embodiment including a simple asynchronous state machine in each stage of the divider makes it possible to obtain a division rank varying from  $2^{P+1}$  (maximum division rank of the prescaler) to  $2^{K_{max}+1}$  (maximum division rank when all the stages of the device are active). This divider also shows optimum consumption because the entire management of the operation works at the speed of the stage concerned and carries out only a limited number of operations per frame (and not per cycle which makes a great difference).

### **Asynchronous state machine**

Figure 12 is a diagram of an eight-state asynchronous machine, i.e. for  $N=3$ .

In its general form, this state machine consists of  $N$  D-type flip-flop circuits sharing the same clock input called CLK. A particular  $N$ -bit word stored in these D flip-flop circuits represents a state of the machine. There are therefore  $2^N$  possible states of the machine.



The input CLK is connected to the output of a  $2^N$ -position switch that is controlled by the state word of the machine, i.e. by the N-bit bus constituted by the Q outputs of the D flip-flop circuits.

The  $2^N$  inputs of this switch are the  $2^N$  clock signals which set the rate of the succession of the states of the machine. Each D input of each flip-flop circuit is also connected to the output of a switch with  $2^N$  inputs which is controlled by the N output-bits bus of the machine. Since there are N flip-flop circuits, there are N input switches each of which has  $2^N$  inputs. There is therefore a total of  $N \cdot 2^N$  data inputs for the machine.

Figure 13 is a diagram of the state machine for the frequency divider application. There is only one D type flip-flop circuit.

- The clock inputs are  $F(K-1)$  and  $TC(K)$ .
- The data inputs are  $NEXT\_ACT(K)$  and 0.
- The Q output of the D flip-flop circuit controls the two switches located on D and on CLK.
- The output  $ACT(K)$  is the Q output.
- The output  $DER(K)$  is the complement of Q.
- When Q is at 0, the clock is  $F(K-1)$  and the data is  $NEXT\_ACT(K) \Rightarrow$  the first edge of  $F(K-1)$  writes the value  $ACT(K)$ . When Q is at 1, the clock is  $TC(K)$  and the data is 0  $\Rightarrow$  the first edge of  $TC(K)$  resets the D flip-flop circuit.